



ANUNCIO DE SEMINARIO

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Título: Mean convex properly embedded $[\varphi, \vec{e}_3]$ -minimal surfaces in \mathbb{R}^3 .

Abstract: We establish area and curvature estimates together with a convexity result for mean convex properly embedded $[\varphi, \vec{e}_3]$ -minimal surfaces in \mathbb{R}^3 , i.e, φ -minimal surfaces when φ only depends of the third coordinate of \mathbb{R}^3 . Motivated by the works on curvature estimates for surfaces in 3-manifolds, due to White for minimal surfaces, to Rosenberg, Souam and Toubiana for stable CMC surfaces and to Spruck and Xiao for stable translating solitons in \mathbb{R}^3 , we will use a compactness argument to provide curvature estimates. Finally, we will present a convexity result which generalizes the theorem of Spruck and Xiao for translating solitons. More precisely, we characterize the convexity of a properly embedded $[\varphi, \vec{e}_3]$ -minimal surface in \mathbb{R}^3 with non-positive mean curvature when the growth at infinity of φ is at most quadratic.

Lugar: Aula 1 de Matemáticas. Sótanos del Edificio *Albert Einstein* (C2)

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